

New Problems Chapter 17

17.1-6. Increase in amount of heat transfer from a radiative body. How much more heat is transfer from a 1m² blackbody at 2000 K verses one that is at 1600 K.

17.1-7. Radiation and Convection: A horizontal cast iron, 6m long, 1in schedule 80 pipe has a surface temperature of 500K, calculate the heat loss (W and BTU/S) due to radiation to the atmosphere which is at 273K? Assume $\epsilon = 0.65$ for cast iron.

17.2-13. Radiation and Heating of Planes: Two plane black rectangular surfaces (both 10m x 10m), are parallel to each other with a spacing of 3m. The two surfaces are maintained at $T_1 = 1200\text{K}$ and $T_2 = 600\text{K}$ respectively.

a) Determine the net radiation between the two surfaces if they are infinite black planes and separated by a vacuum/empty space.

b) Determine the net radiation between the two surfaces if they are infinite grey planes where $\epsilon_1 = 0.7$ & $\epsilon_2 = 0.6$.

c) Determine the net radiation between the two surfaces if they are black planes (not infinite) using the following equations to calculate the view factor:

$$\bar{X} = X / L; \quad \bar{Y} = Y / L$$

$$a = \sqrt{\frac{(1 + \bar{X}^2)(1 + \bar{Y}^2)}{1 + \bar{X}^2 + \bar{Y}^2}}$$

$$b = \bar{X} \sqrt{1 + \bar{Y}^2} \cdot \arctan \left(\frac{\bar{X}}{\sqrt{1 + \bar{Y}^2}} \right)$$

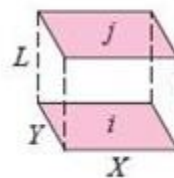
$$c = \bar{Y} \sqrt{1 + \bar{X}^2} \cdot \arctan \left(\frac{\bar{Y}}{\sqrt{1 + \bar{X}^2}} \right)$$

$$d = \bar{X} \arctan(\bar{X})$$

$$e = \bar{Y} \arctan(\bar{Y})$$

$$F_{i,j} = \frac{2}{\pi \bar{X} \bar{Y}} (\ln(a) + b + c - d - e)$$

Aligned parallel rectangles



17.2-14. Radiation between a double pipe heat exchanger: A fluid flows in a 30mm diameter, 1 m long tube with an outer surface temperature of 265K and an emissivity of 0.4. A larger tube having a diameter of 50mm, surrounds the smaller tube and has a emissivity of 0.6, with a surface temperature of 500K. The annulus of the pipe is held at a vacuum to prevent convection from occurring. What is the heat gain by the inside pipe? Assume $\bar{F}_{12} \approx 1$ and use equation 17.2-45.